

Digital Engineering 2nd report

● 제출 : 4월 22일(화) 수업시간

● 디지털 공학 과제 주의사항

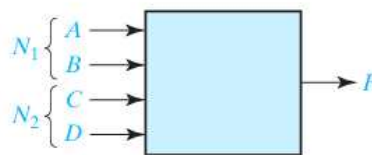
1. 과제는 반드시 **자필**로 작성하셔야 합니다.
2. **문제 풀이 과정**이 다 들어가 있어야 하면, 답에는 반드시 **밑줄이나 박스** 등의 답을 알아볼 수 있는 표기 바랍니다.
3. **A4용지**에 반드시 **학번 이름**을 포함하여 제출 바랍니다.
4. 문제는 **7판 원서** 기준으로 출제되었습니다.
5. 스테이플러는 종이 **왼쪽**에 찍어주시기 바랍니다.
6. 문제의 순서가 명확하도록 **페이지 번호** 표기바랍니다.
7. 풀이과정을 알아볼 수 없는 경우 불이익이 발생할 수 있습니다.

4.8 A switching circuit has four inputs as shown. A and B represent the first and second bits of a binary number N_1 . C and D represent the first and second bits of a binary number N_2 . The output is to be 1 only if the product $N_1 \times N_2$ is less than or equal to 2.

(a) Find the minterm expansion for F .

(b) Find the maxterm expansion for F .

Express your answers in both decimal notation and algebraic form.



4.27 Given $f(a, b, c) = a(b + c')$.

(a) Express f as a minterm expansion (use m -notation).

(b) Express f as maxterm expansion (use M -notation).

(c) Express f' as a minterm expansion (use m -notation).

(d) Express f' as a maxterm expansion (use M -notation).

5.14 Find the minimum sum-of-products expressions for each of these functions.

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| (a) $f_1(A, B, C) = m_1 + m_2 + m_5 + m_7$ | (b) $f_2(d, e, f) = \Sigma m(1, 5, 6, 7)$ |
| (c) $f_3(r, s, t) = rs' + r's' + st'$ | (d) $f_4(a, b, c) = m_0 + m_2 + m_3 + m_7$ |
| (e) $f_5(n, p, q) = \Sigma m(1, 3, 4, 5)$ | (f) $f_6(x, y, z) = M_1M_7$ |

5.37 The function $F(A, B, C, D, E) = \Sigma m(1, 7, 8, 13, 16, 19) + \Sigma d(0, 3, 5, 6, 9, 10, 12, 15, 17, 18, 20, 23, 24, 27, 29, 30)$.

- Draw a Karnaugh map for f .
- Find all prime implicants of f . (Prime implicants containing only don't-cares need not be included.)
- Find all minimum sum of products for f .
- Find all prime implicants of f' .
- Find all minimum product of sums for f .

7.5 Realize $Z = A'D + A'C + AB'C'D'$ using four NOR gates.

- 7.8** (a) Convert the following circuit to all NAND gates, by adding bubbles and inverters where necessary.
 (b) Convert to all NOR gates (an inverter at the output is allowed).

